

NS102

Lecture 10

The distance ladder



News of the week

- No office hours on Thursday
- Lab this week: 1st week of geometry of the universe
- Thursday:
 - Shapley-Curtis debate
 - Original composition:
car horn in G performed by Thao Thai

The Cosmological Distance Ladder

1 AU

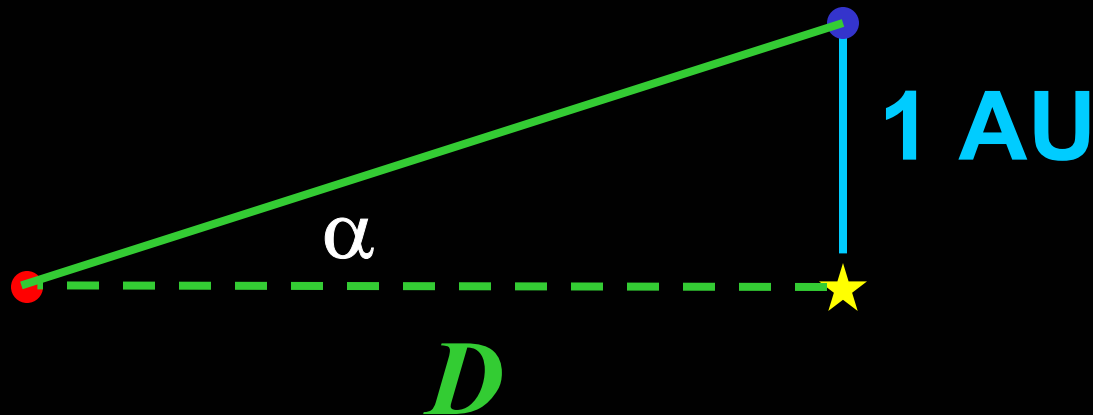
Sun
(geometry)

Moon
(geometry)

Earth
(geometry)

$$\frac{D}{200,000 \text{ AU}} = \frac{\text{seconds}}{\text{parallax}}$$

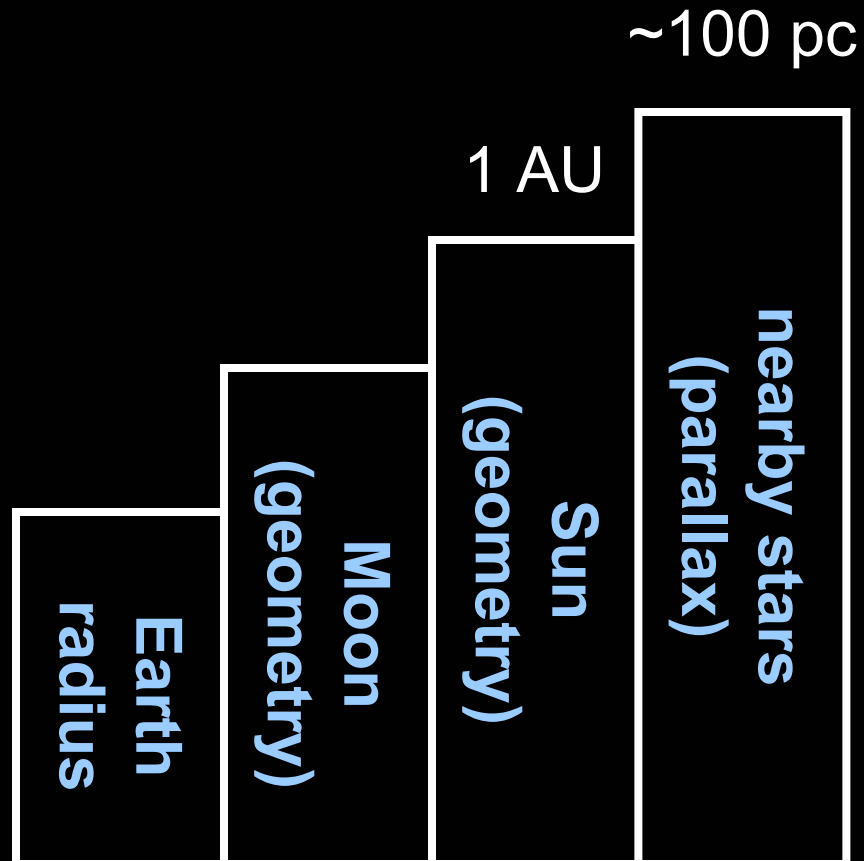
$$\frac{D}{\text{pc}} = \frac{\text{seconds}}{\text{parallax}}$$



$$\frac{D}{\text{pc}} = \frac{\text{seconds}}{\text{parallax}}$$

star	parallax (")	distance (pc)
α Centauri	0.75	1.3
Barnard's star	0.5	2.0
Sirius	0.4	2.5
Altair	0.2	5.0

The Cosmological Distance Ladder



For light!!!

$$\text{Intensity} = \frac{\text{luminosity}}{\text{area}}$$

Luminosity property of source

Intensity depends on power
and distance between
source and detector (R)

$$\text{Intensity} = \frac{\text{luminosity}}{4\pi R^2}$$

Logarithmic Eye



**Eyes, like ears, are
logarithmic detectors.**

For light: $m_1 - m_2 = -2.5 \log(I_1/I_2)$

m = magnitude I = intensity

“–” means smaller m is brighter!

Sun	m = - 26.8
Venus	m = - 4
Sirius	m = - 1.5
Naked eye limit	m = 6
Binoculars	m = 10
Pluto	m = 15
Large telescope (visual)	m = 20
Large telescope (photograph)	m = 25
Large telescope (ccd)	m = 30

The luminosity of nearby stars

Measure: intensity of light, I

$$I = \frac{L}{4\pi R^2}$$

If know distance (e.g., parallax) → luminosity

If know luminosity (standard candle) → distance

$$\frac{D}{\text{pc}} = \frac{\text{seconds}}{\text{parallax}}$$

$$I = \frac{L}{4\pi R^2}$$

Measured

star	parallax (")	distance (pc)	apparent magnitude	luminosity (solar)
α Centauri	0.75	1.3	0	1.5
Barnard's star	0.5	2.0	9.5	0.0005
Sirius	0.4	2.5	-1.5	25
Altair	0.2	5.0	0.8	10
Canopus	0.003	330	-0.7	200,000
Arcturus	0.1	10	0	90
Betelgeuse	0.01	100	0.5	14,000

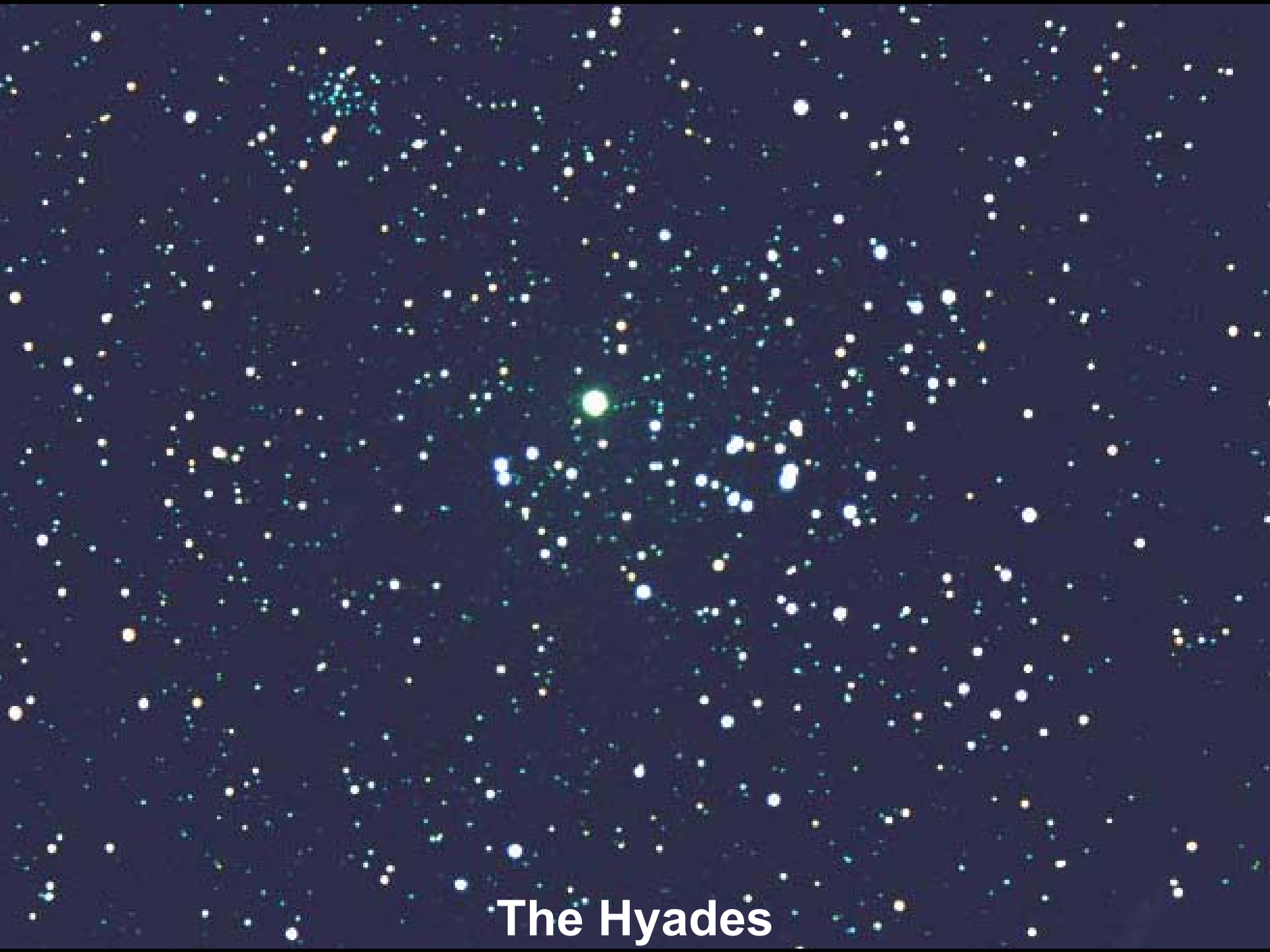


Open Cluster (The Pleiades)
135 pc distant

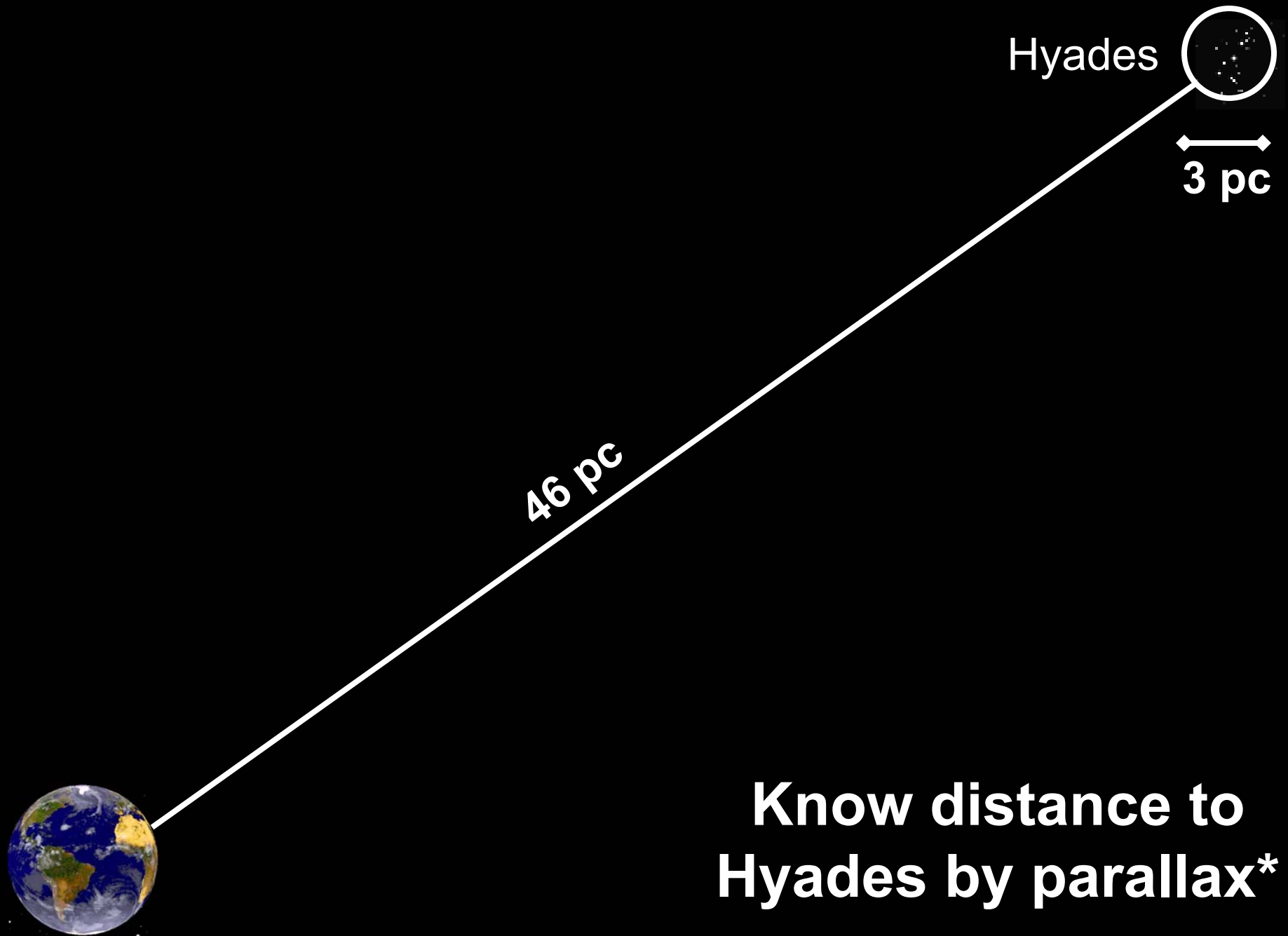


M45 (Pleiades)

Hyades



The Hyades



They have different apparent brightness

They have different colors

They move

They change in brightness

COLORS OF THE RAINBOW:

R O Y – G – B I V

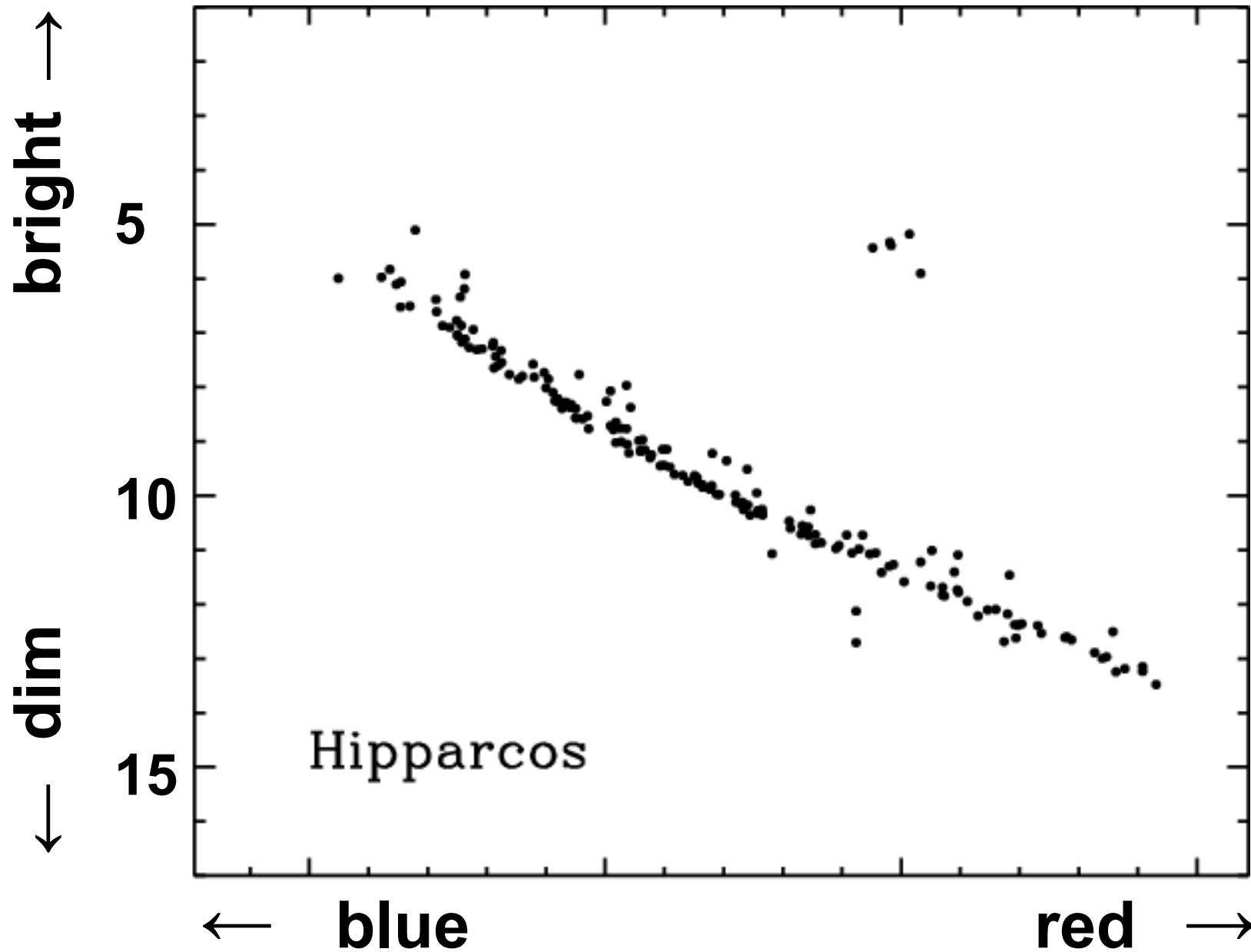


Ejnar Hertzsprung (1873-1967)



Henry Russell (1877-1957)

Hyades HR diagram



Schematic Hertzsprung-Russell Diagram

BRIGHT
MAGNITUDE
DIM

V

I

B

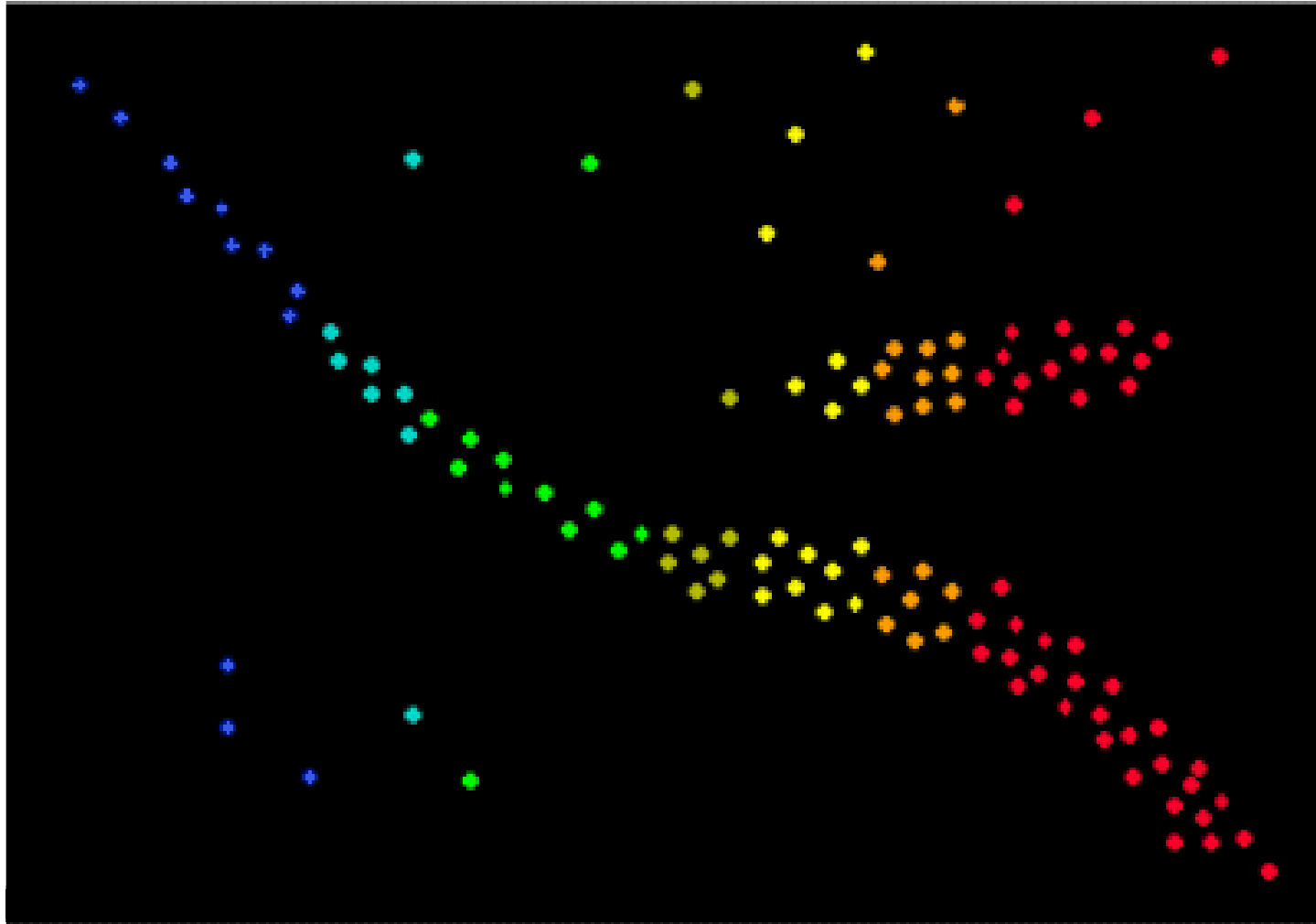
G

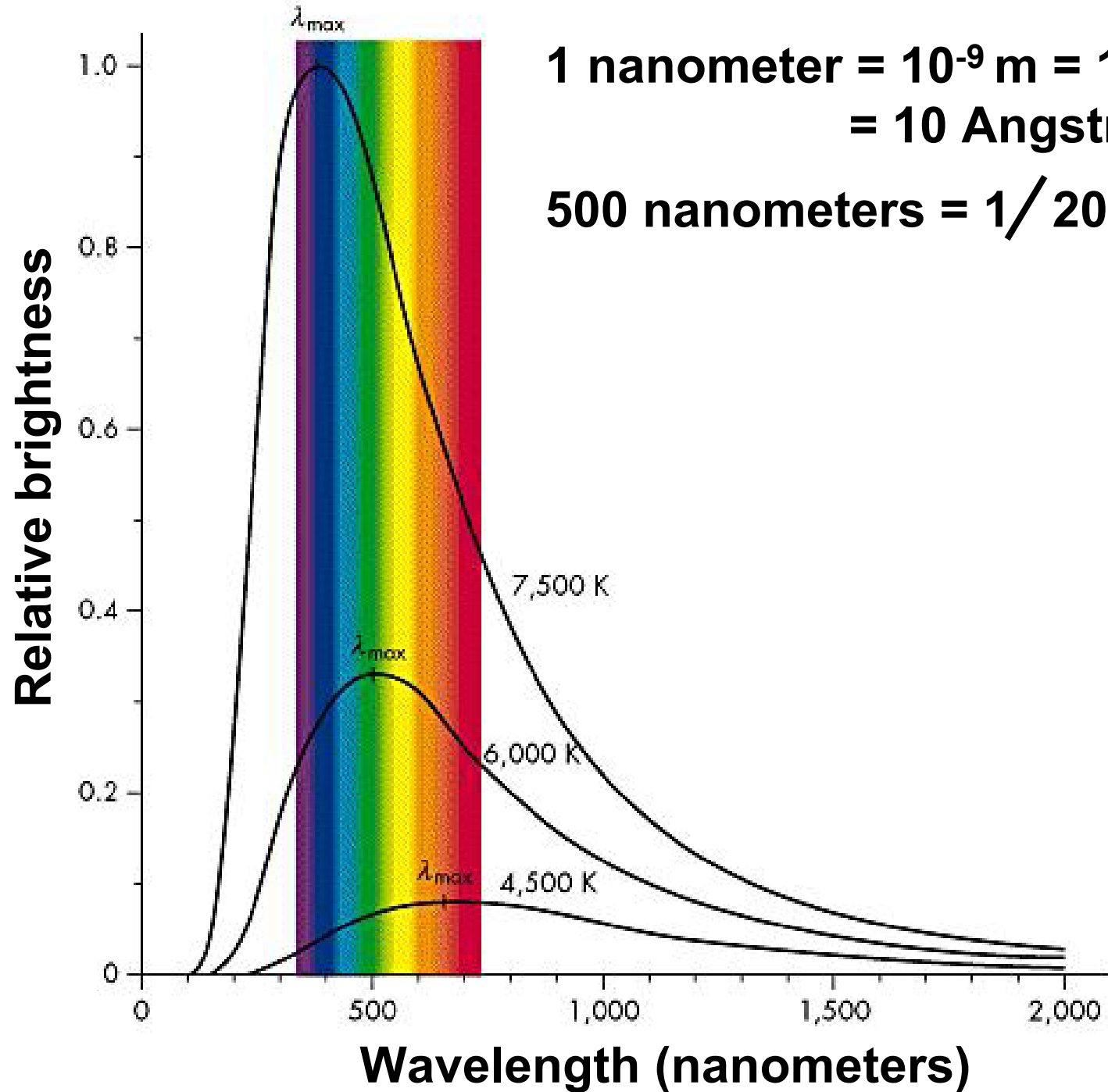
Y

O

R

COLOR

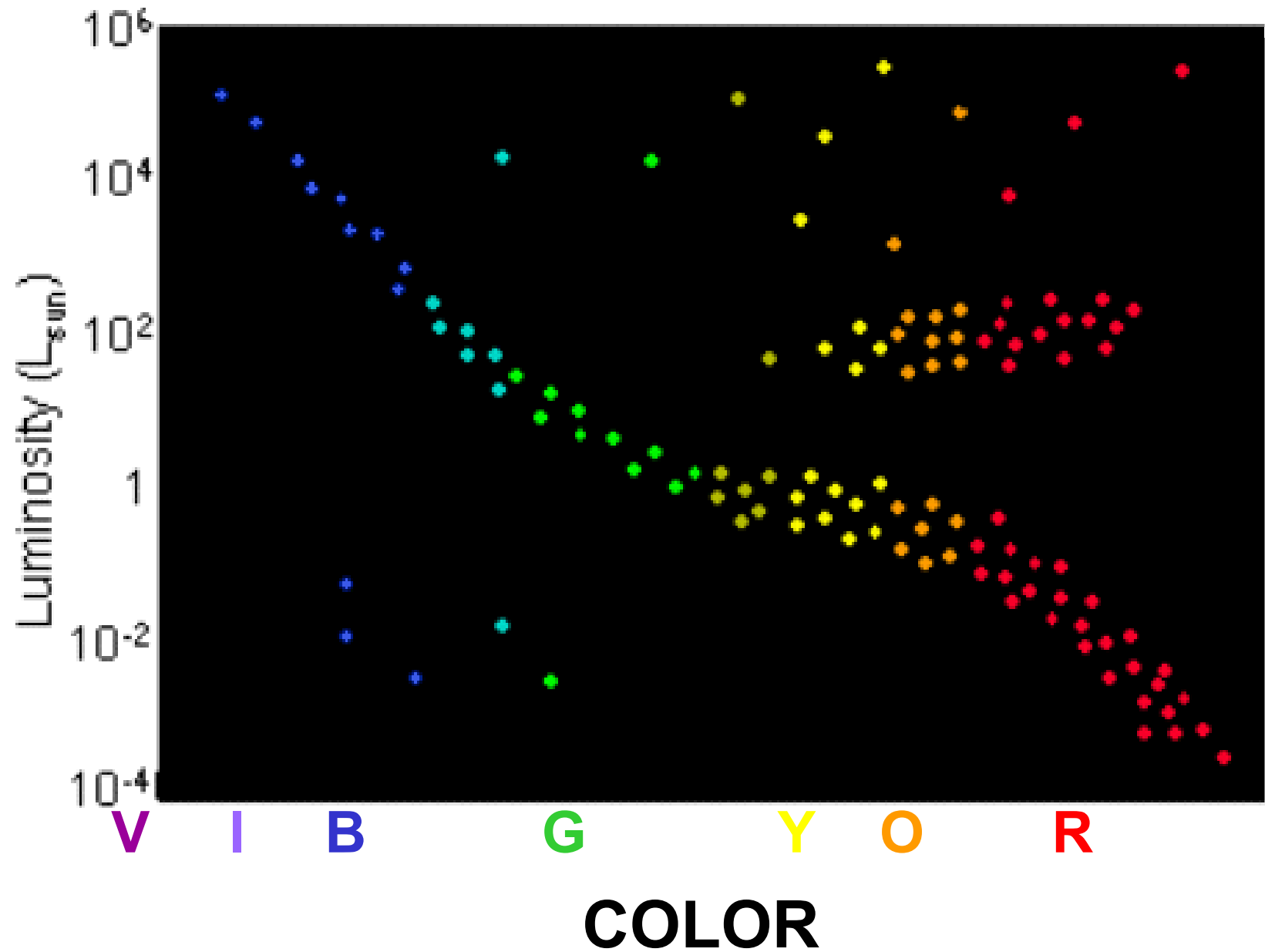


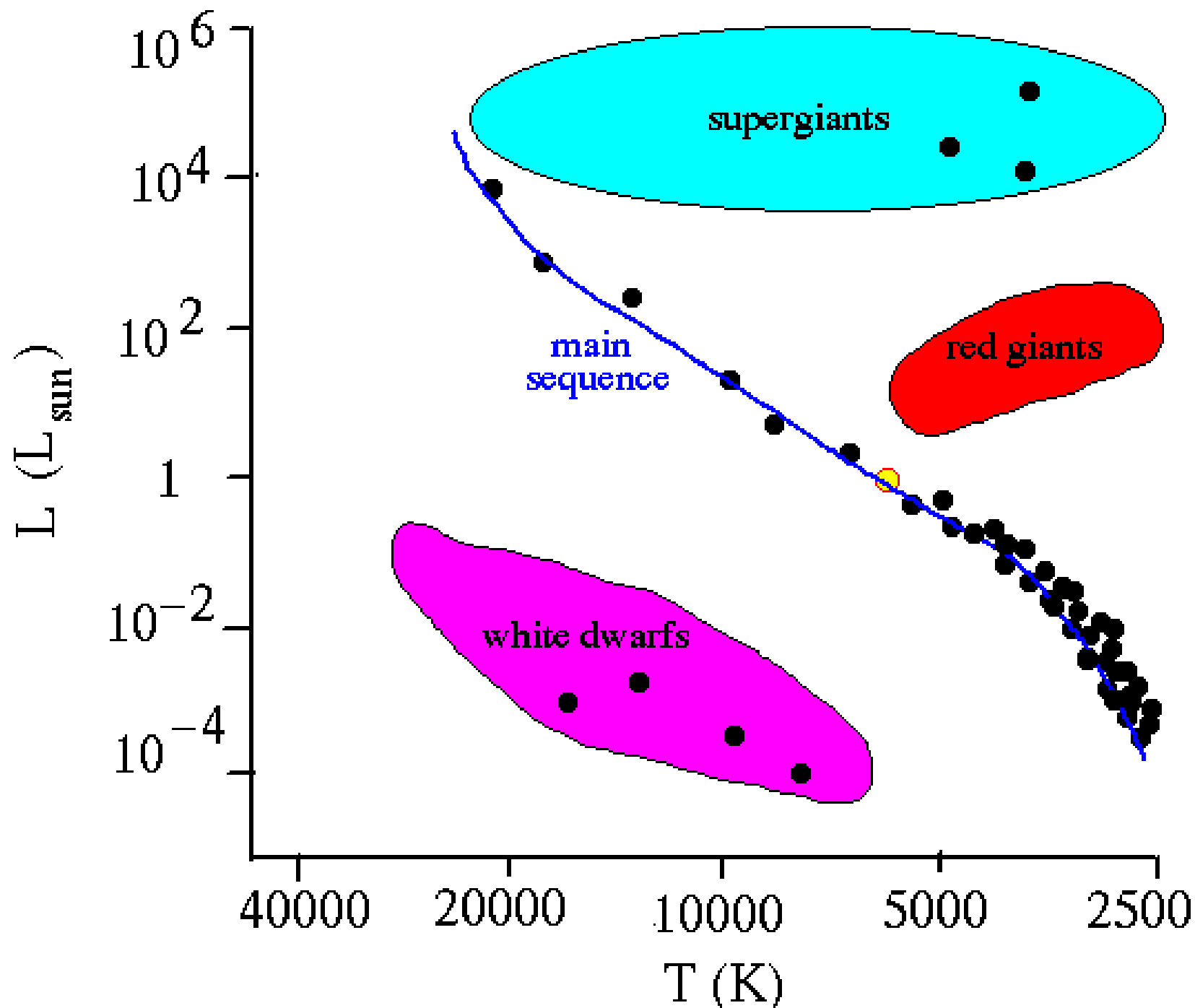


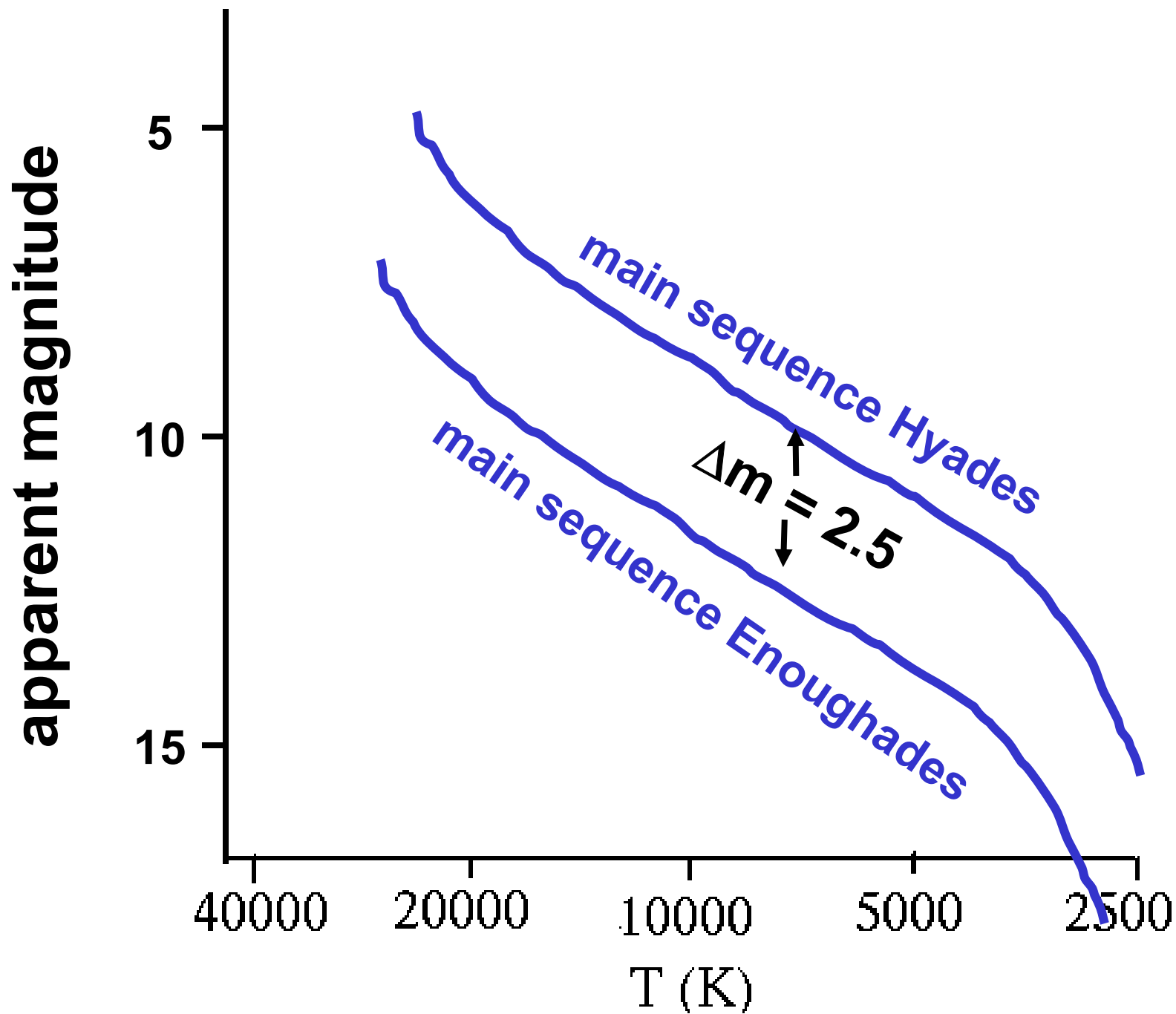
**1 nanometer = 10^{-9} m = 10^{-7} cm
= 10 Angstroms**

500 nanometers = $1/20,000$ cm

Schematic Hertzsprung-Russell Diagram







$$m_H - m_E = -2.5 \log(I_H / I_E)$$

$$-2.5 = -2.5 \log(I_H / I_E)$$

$$1 = \log(I_H / I_E)$$

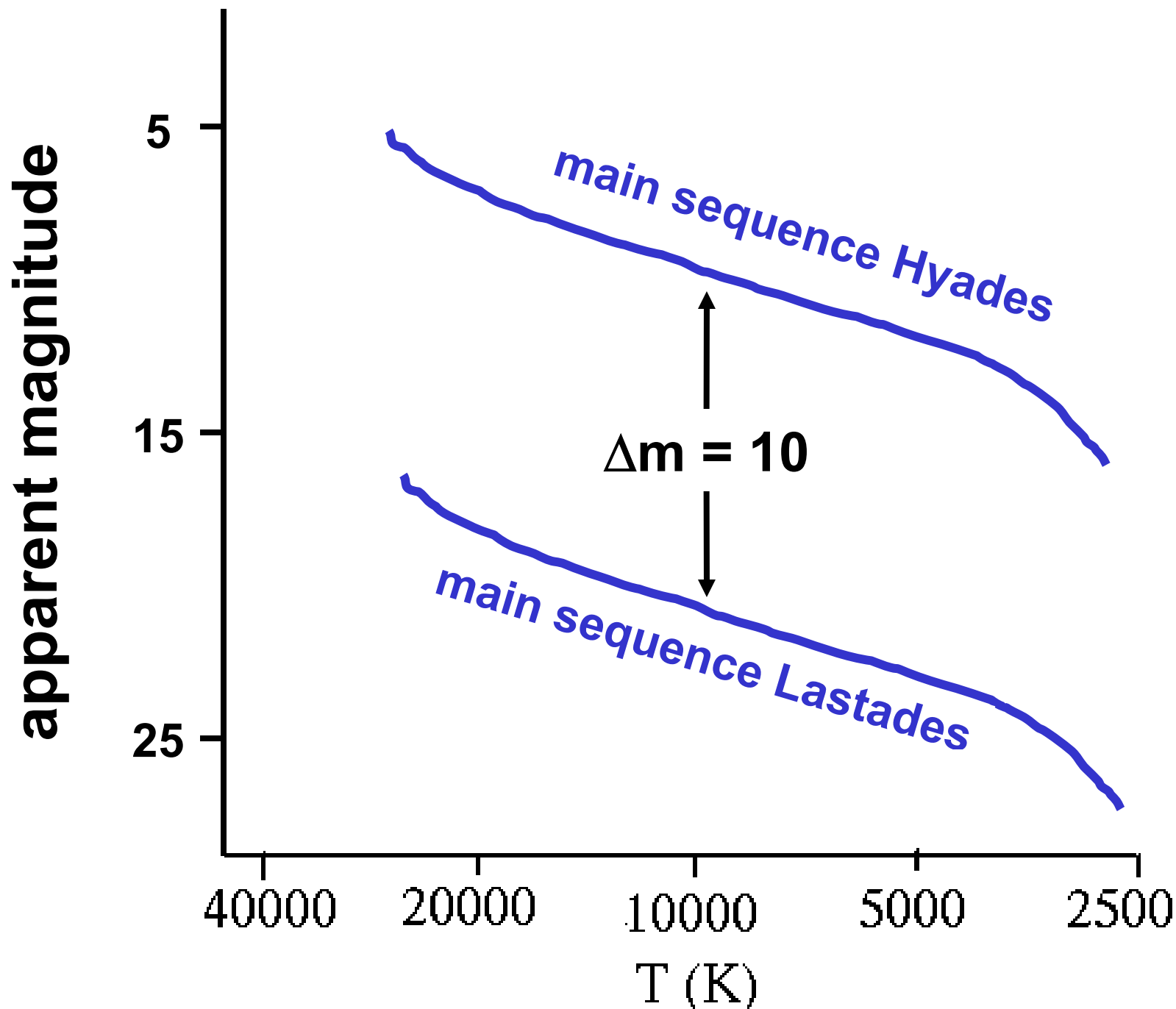
$$10 = I_H / I_E$$

$$I_H = \frac{\text{Luminosity}_H}{4\pi R_H^2} \quad I_E = \frac{\text{Luminosity}_E}{4\pi R_E^2}$$

$$\frac{I_H}{I_E} = \frac{R_E^2}{R_H^2} \quad 10 = \frac{R_E^2}{R_H^2} \quad 3 = \frac{R_E}{R_H}$$

Distances to other clusters

- **Construct H-R diagram for cluster**
- **Measure Δm compared to HR diagram for Hyades**
- **Compute distance in terms of distance to Hyades**
- **How far can you go?**
- **Say most distant open observable cluster is Lastades**



$$m_H - m_L = -2.5 \log(I_H / I_L)$$

$$-10 = -2.5 \log(I_H / I_L)$$

$$4 = \log(I_H / I_L)$$

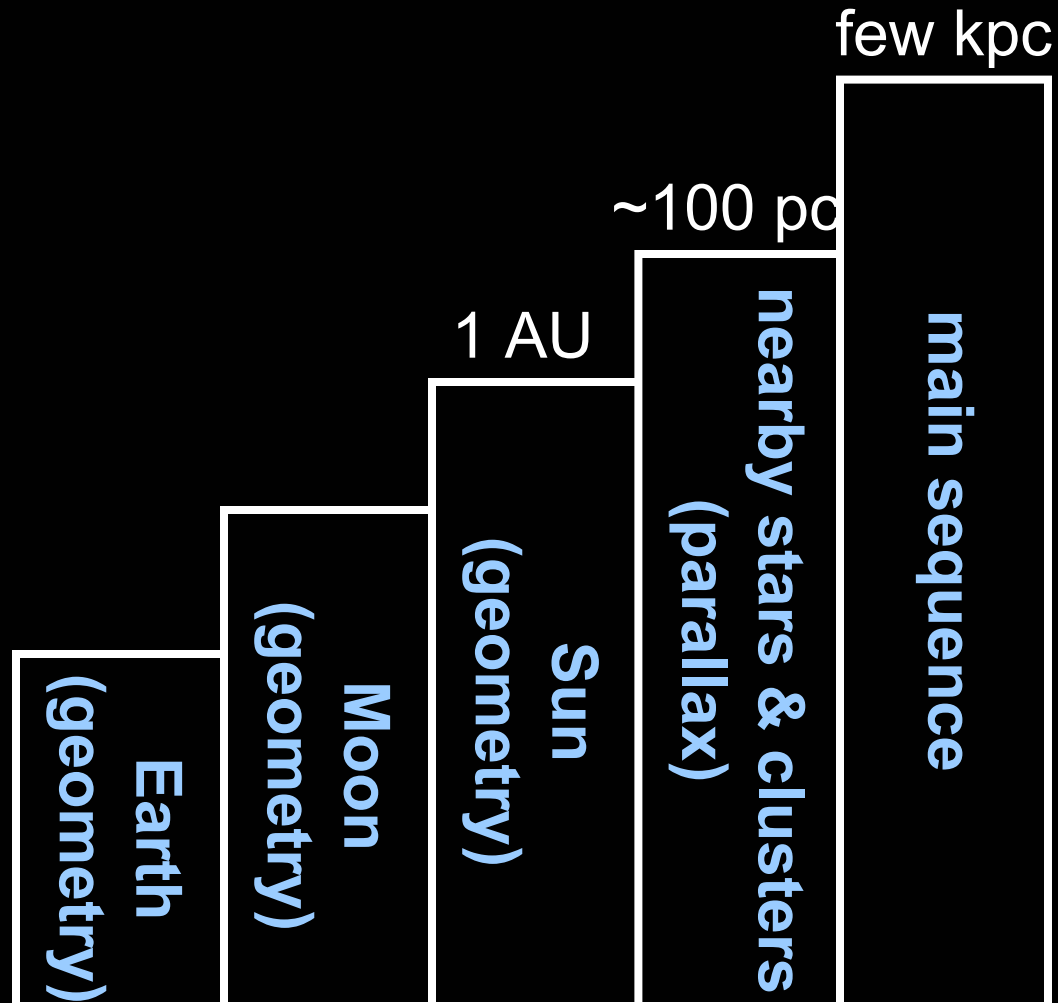
$$10^4 = I_H / I_L$$

$$I_H = \frac{\text{Luminosity}_H}{4\pi R_H^2}$$

$$I_L = \frac{\text{Luminosity}_L}{4\pi R_L^2}$$

$$\frac{I_H}{I_L} = \frac{R_L^2}{R_H^2} \quad 10^4 = \frac{R_L^2}{R_H^2} \quad 100 = \frac{R_L}{R_H} \quad 4 \text{ kpc} = R_L$$

The Cosmological Distance Ladder

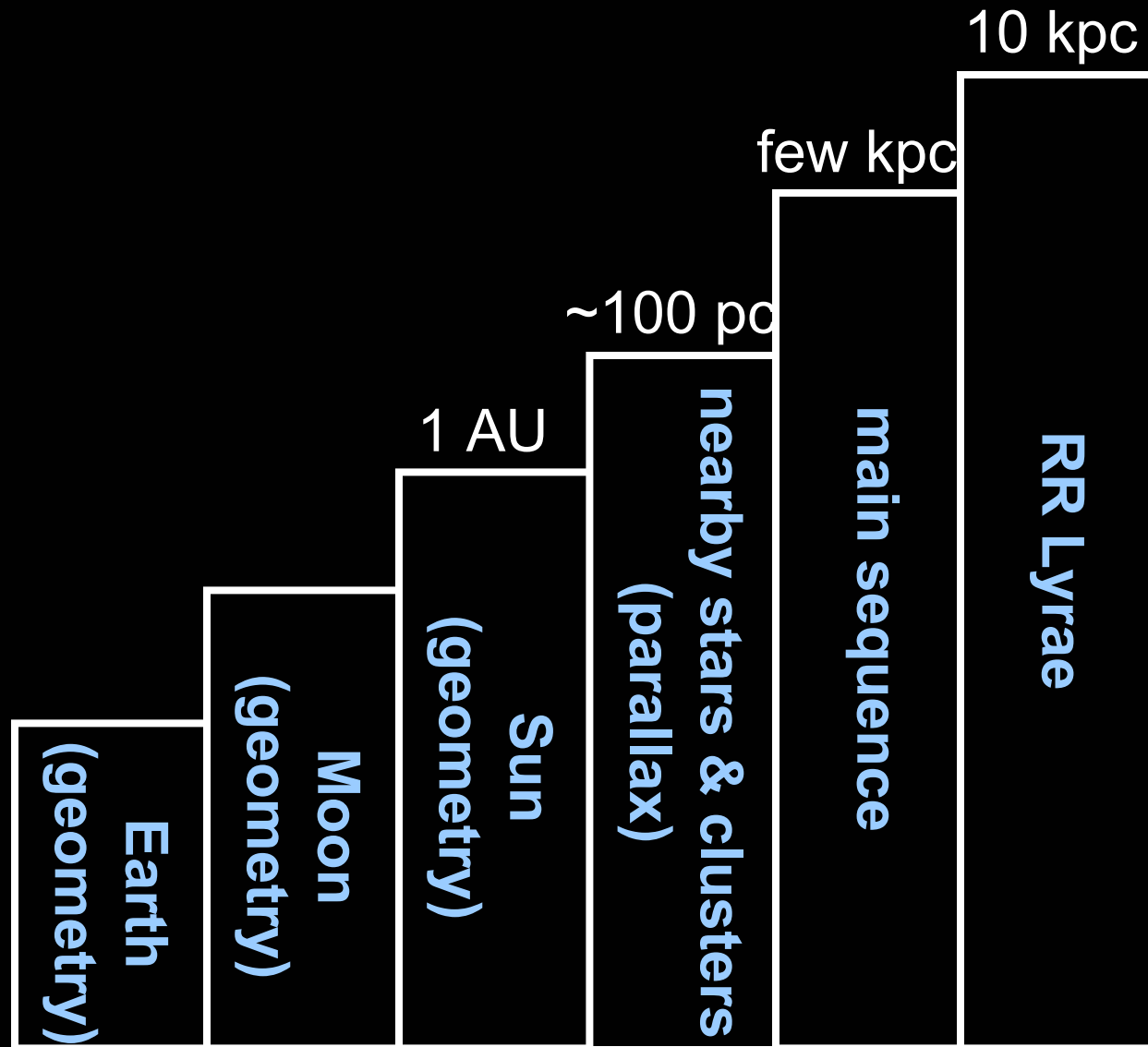


- Main sequence stars are not extremely bright... we need brighter “standard candle”

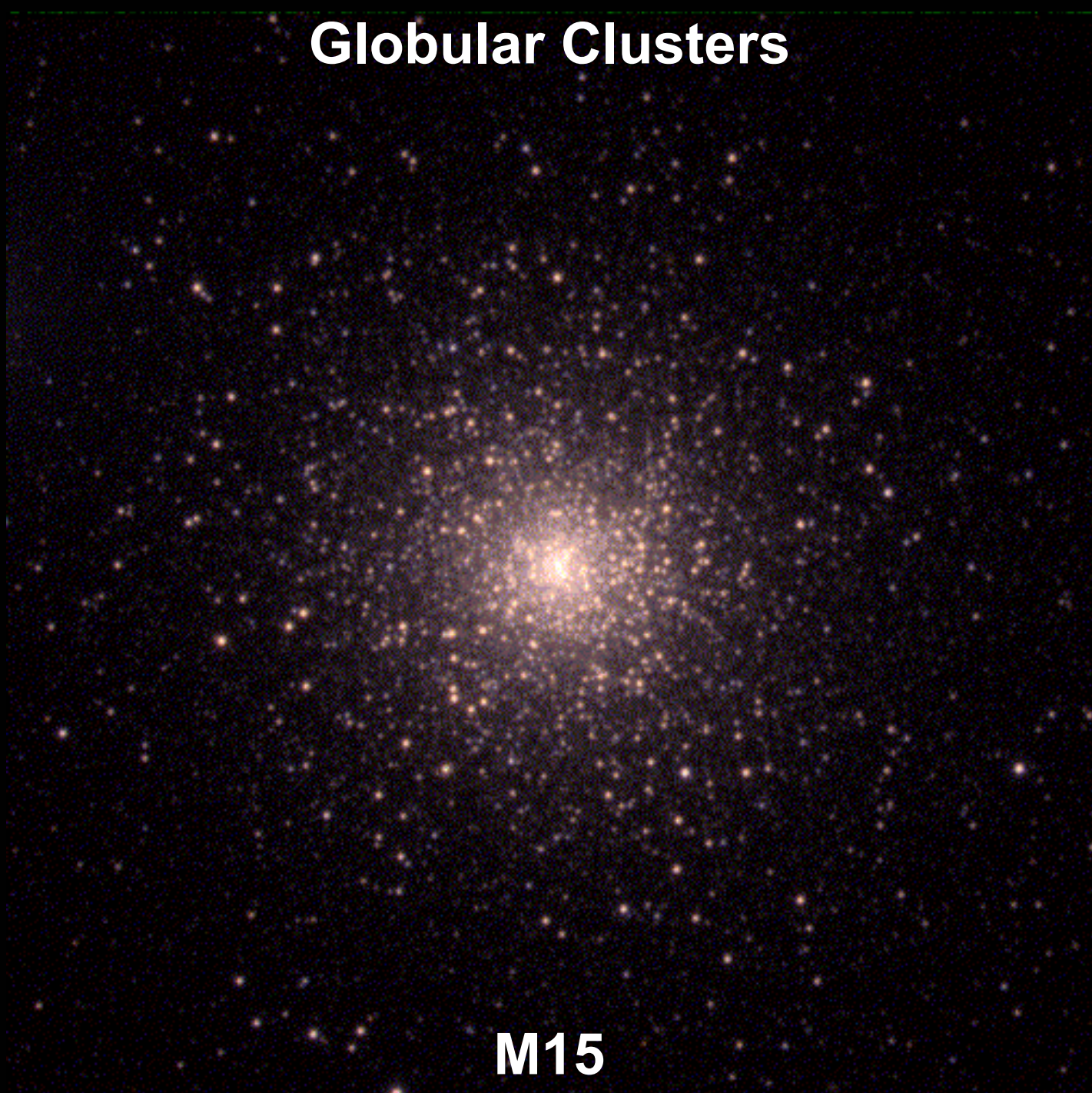
$$\text{Intensity} = \frac{\text{Luminosity}}{4\pi R^2}$$

- **RR Lyrae** stars found in distant clusters we know the distance to via H-R fitting.
- RR Lyrae stars are identified because their light output changes regularly on a time scale of half to one day.
- They are brighter than the sun by about a factor of 100 and are standard candles. Can see farther away and use as standard candle.

The Cosmological Distance Ladder



Globular Clusters



M15

They have different apparent brightness

They have different colors

They move

They change in brightness

- Need brighter “standard candle”

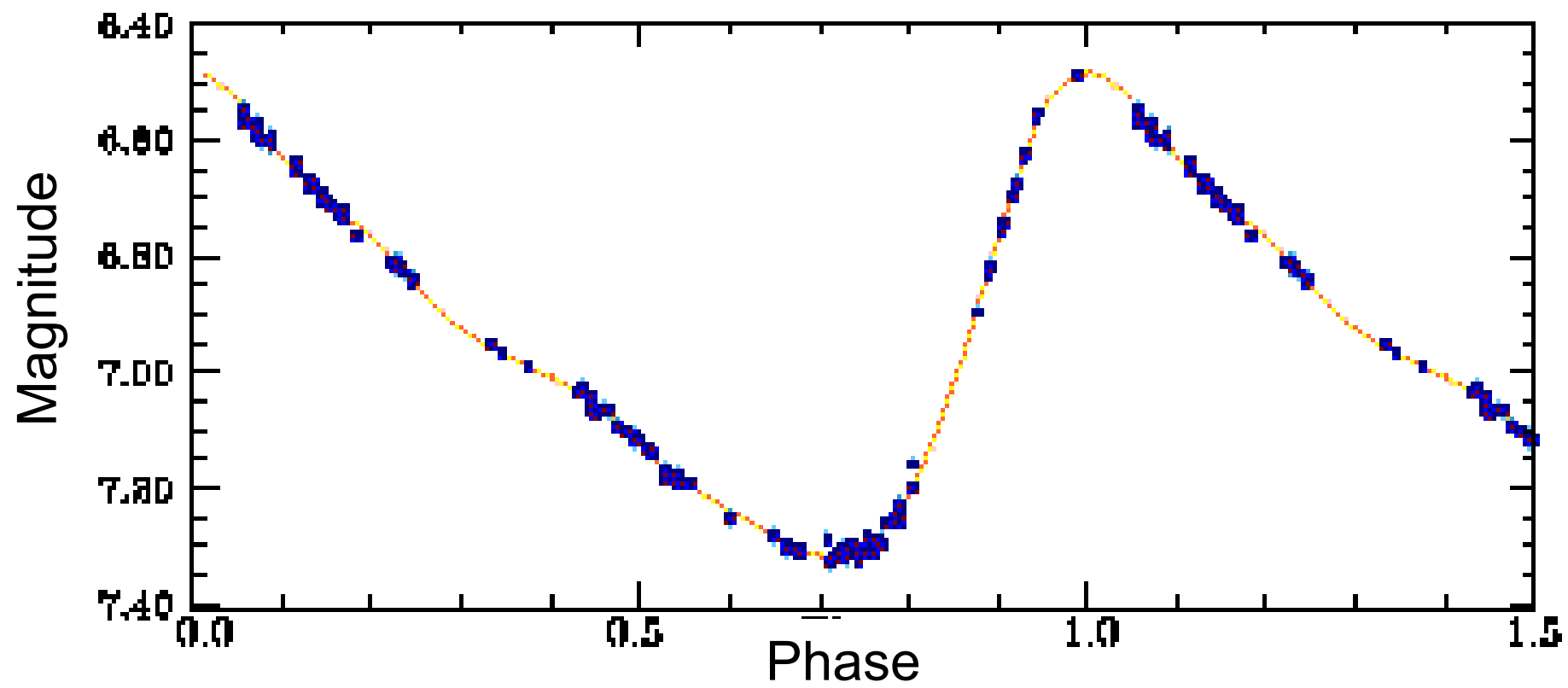
$$\text{Intensity} = \frac{\text{Luminosity}}{4\pi R^2}$$

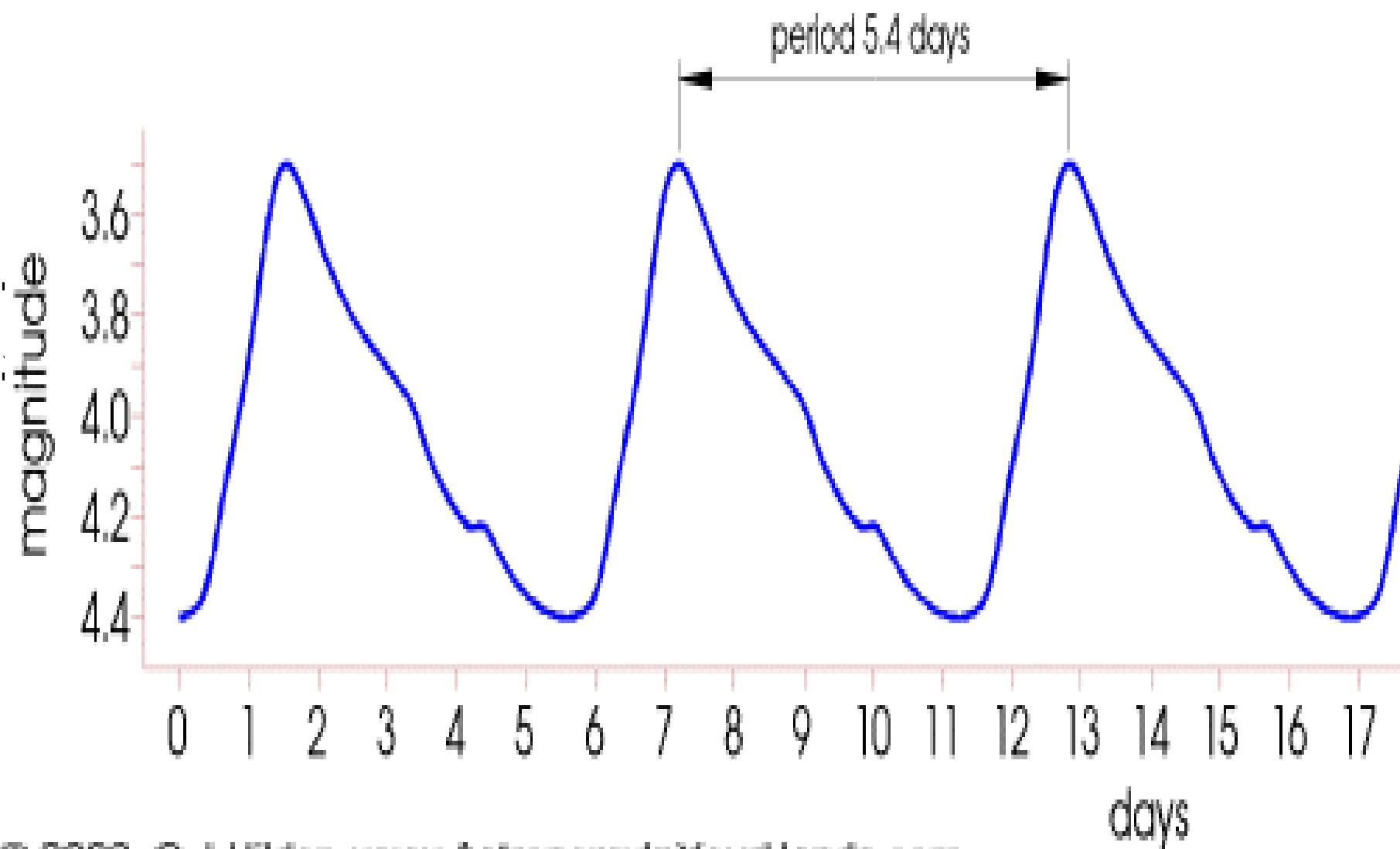
- Other variable stars are brighter: **Cepheid Stars**
(Polaris is a Cepheid)
- Cepheid stars are identified because their light output changes regularly on a time scale of weeks to months. They are very rare.
- They are brighter than the sun by about a factor of 10,000 but are not standard candles.

Cepheid Variable Stars

Henrietta Leavitt
1868 - 1921

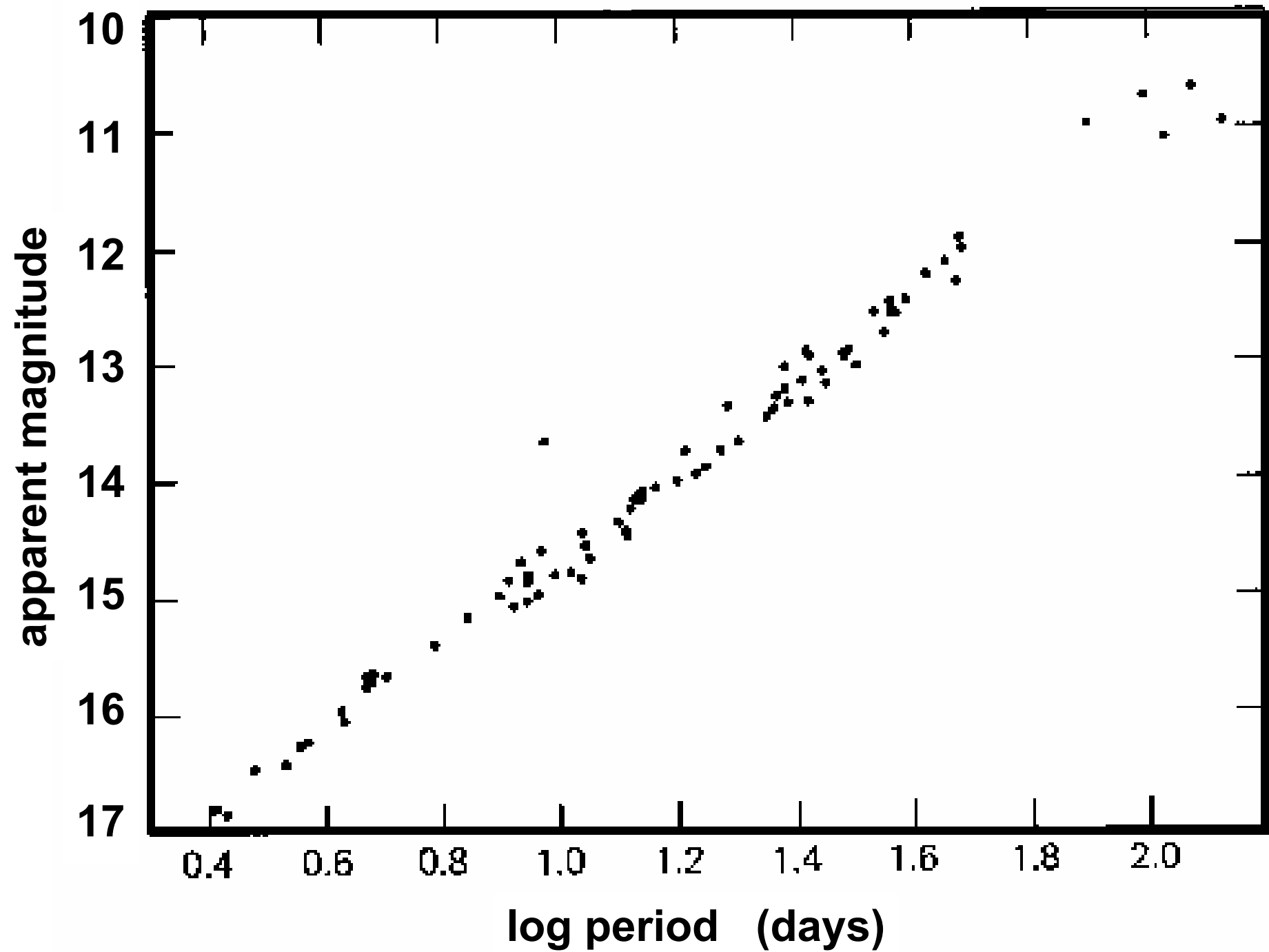


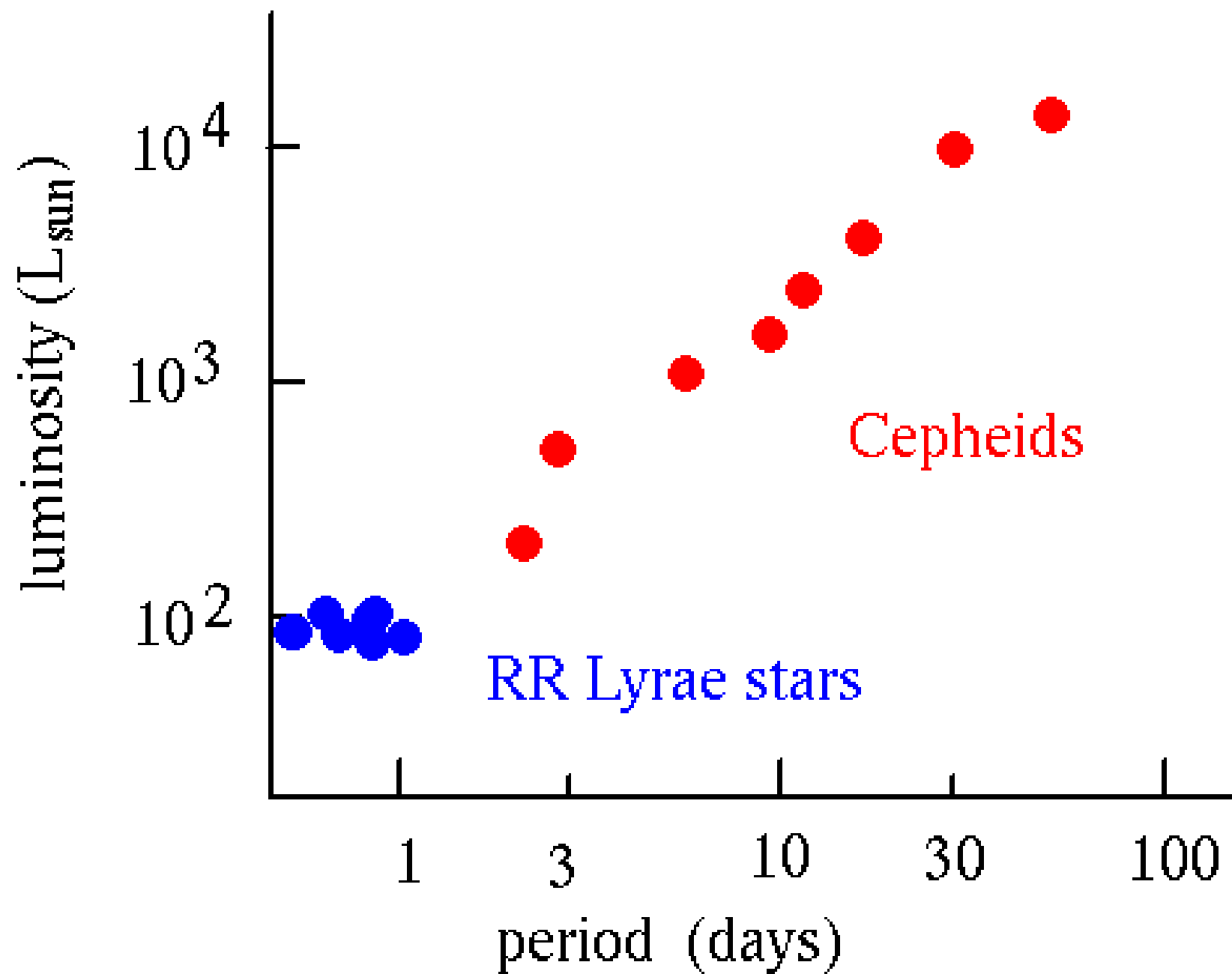




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Light curve of Delta Cephei





Cepheids as distance indicators

For cepheids of known distance

- Measure apparent magnitude of the cepheids

$$I = \frac{L}{4\pi R^2} \rightarrow \text{know } L$$

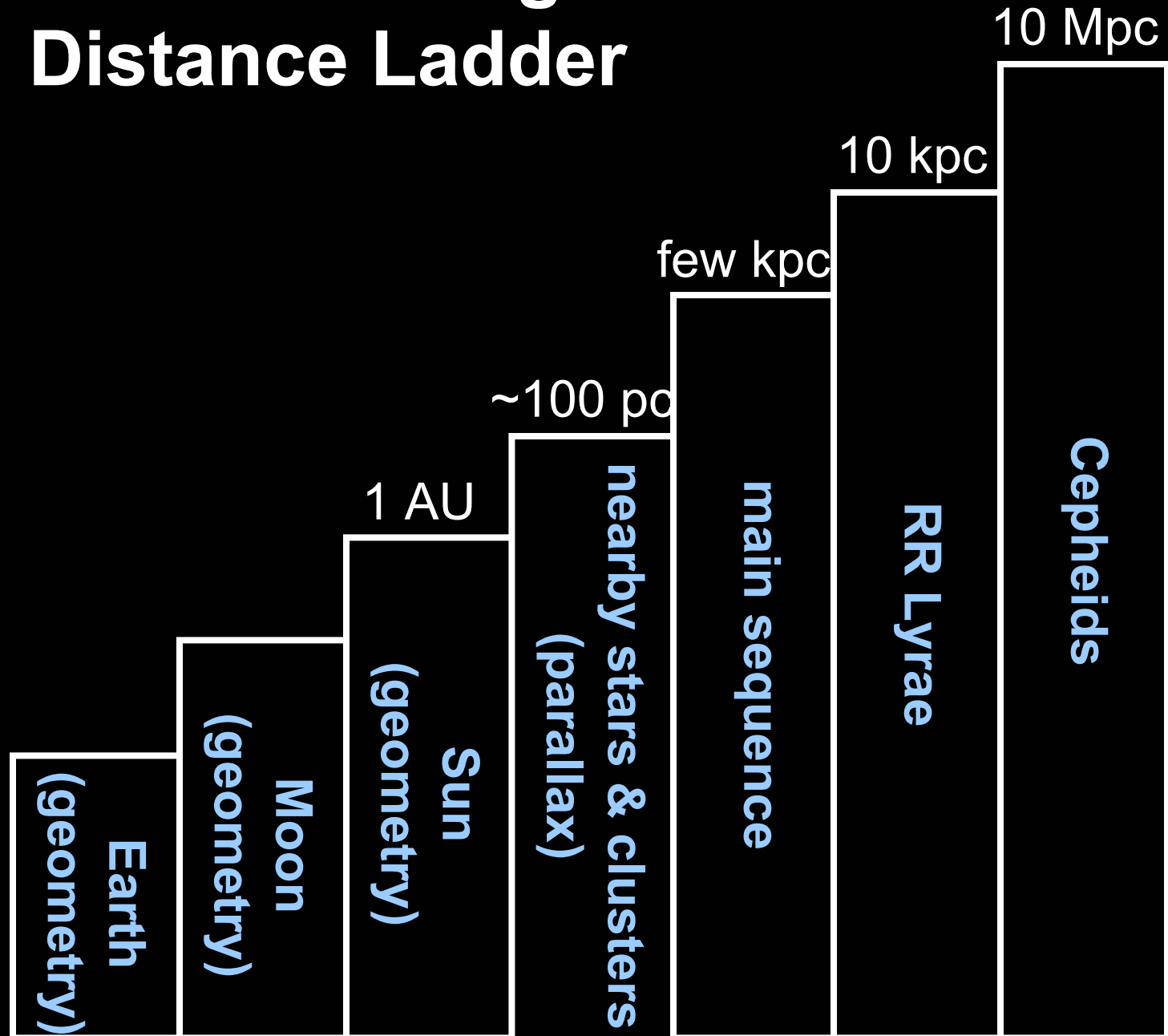
- Measure period of the cepheids
- Calibrate (if know period know L)

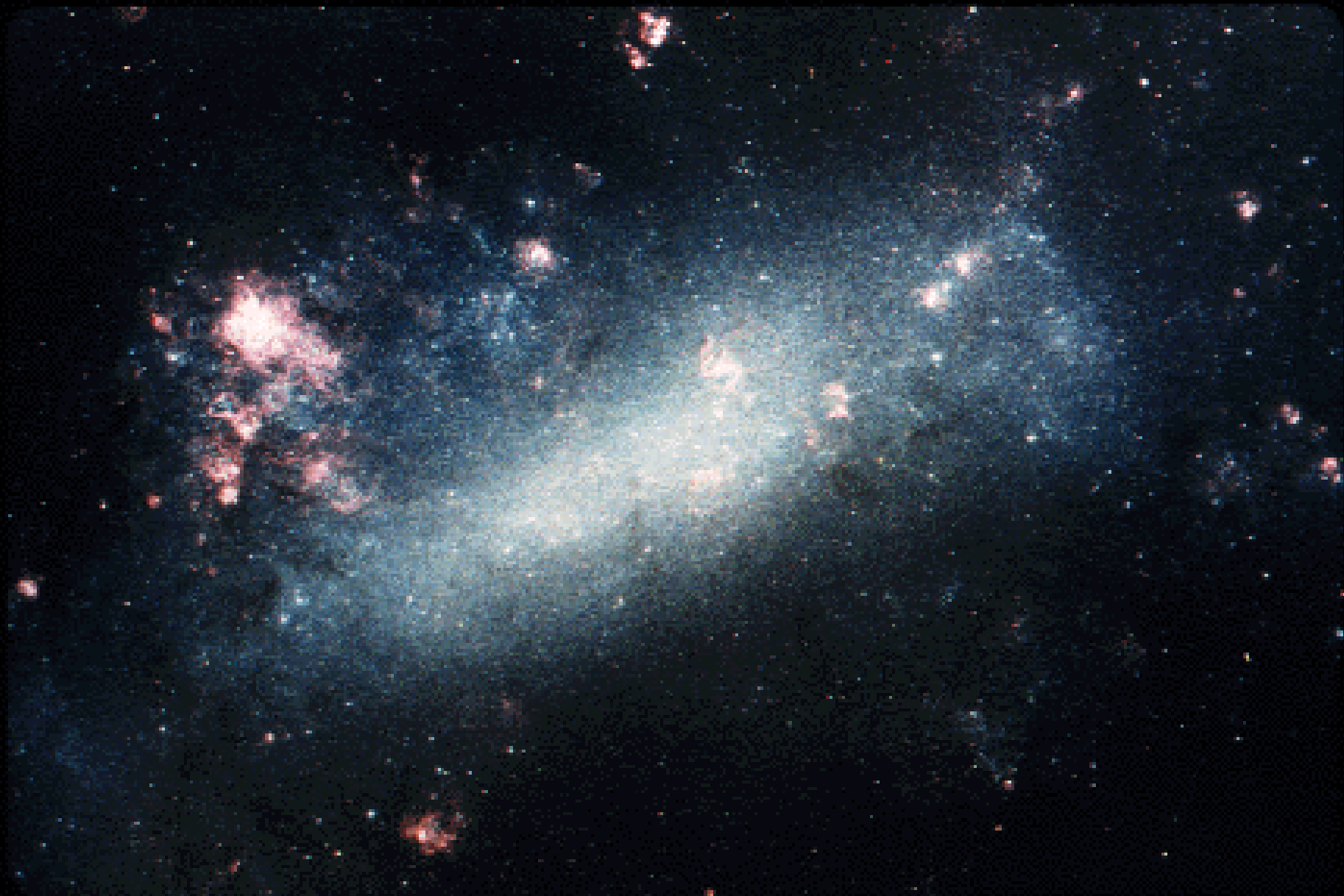
For cepheids of unknown distance

- Measure period....know L
- Measure apparent magnitude

$$I = \frac{L}{4\pi R^2} \rightarrow \text{know } R$$

The Cosmological Distance Ladder

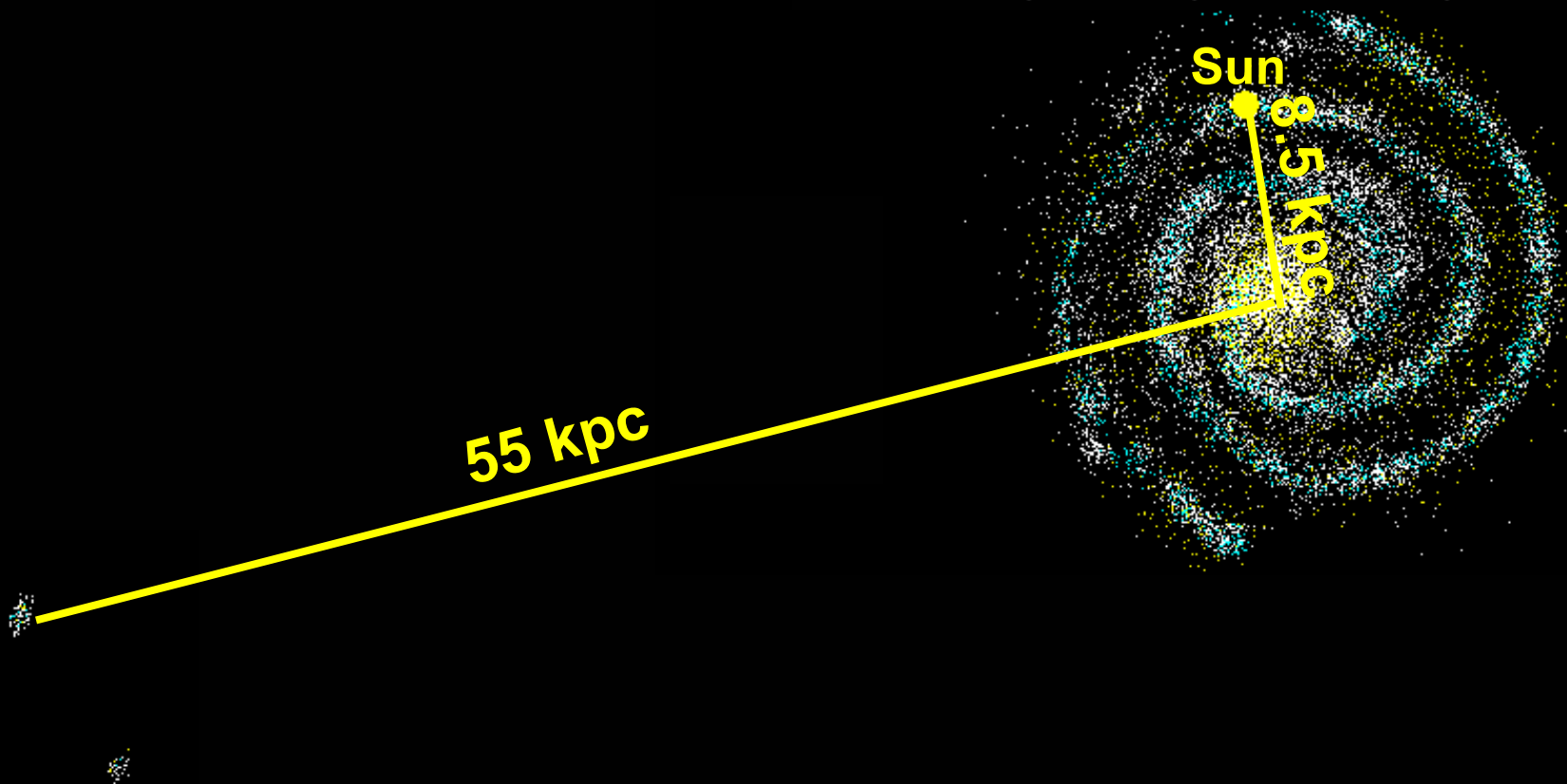




Large Magellanic Cloud 100 million stars 55 kpc distant

Milky Way Galaxy

Large and Small
Magellanic Clouds

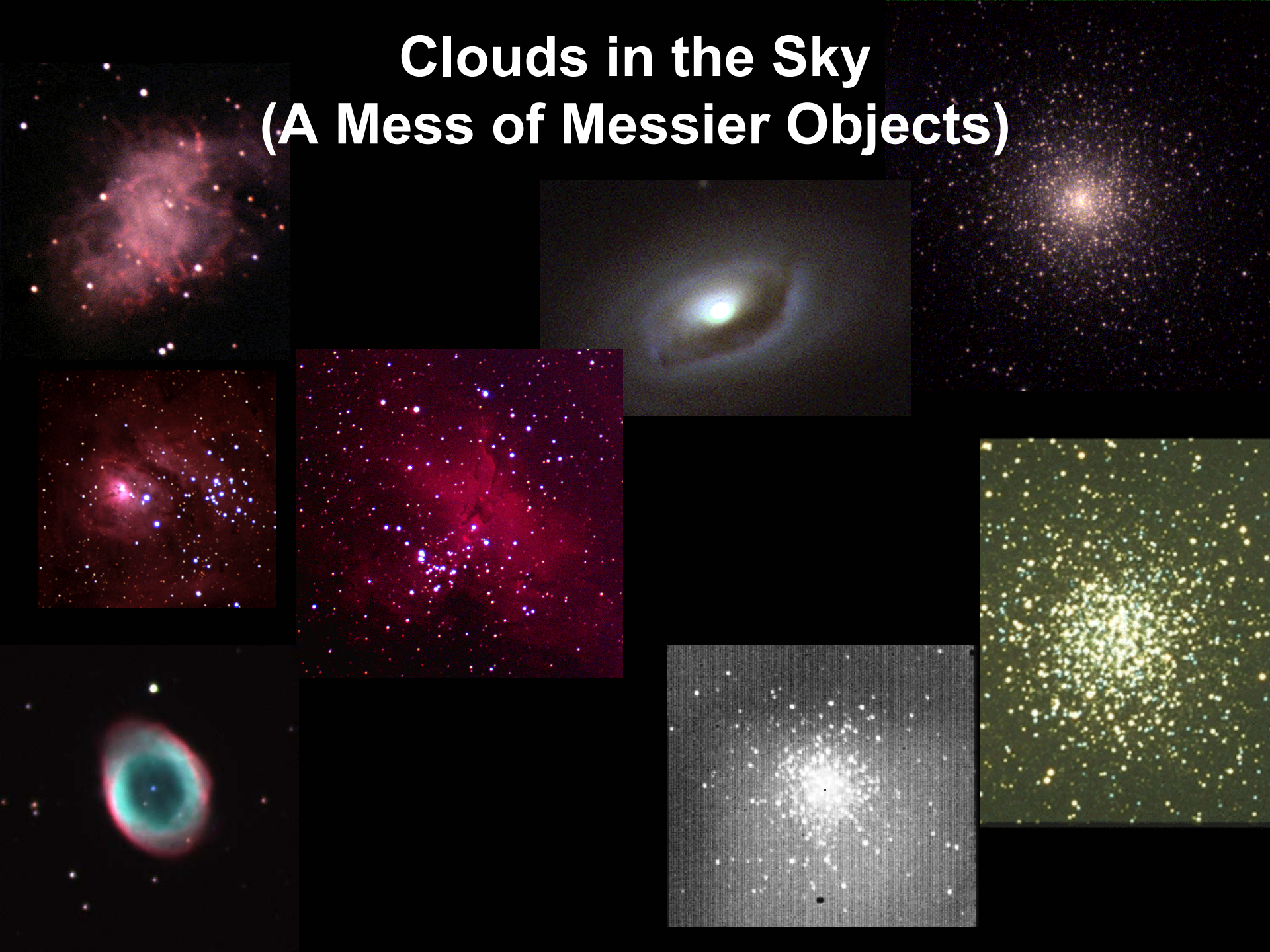


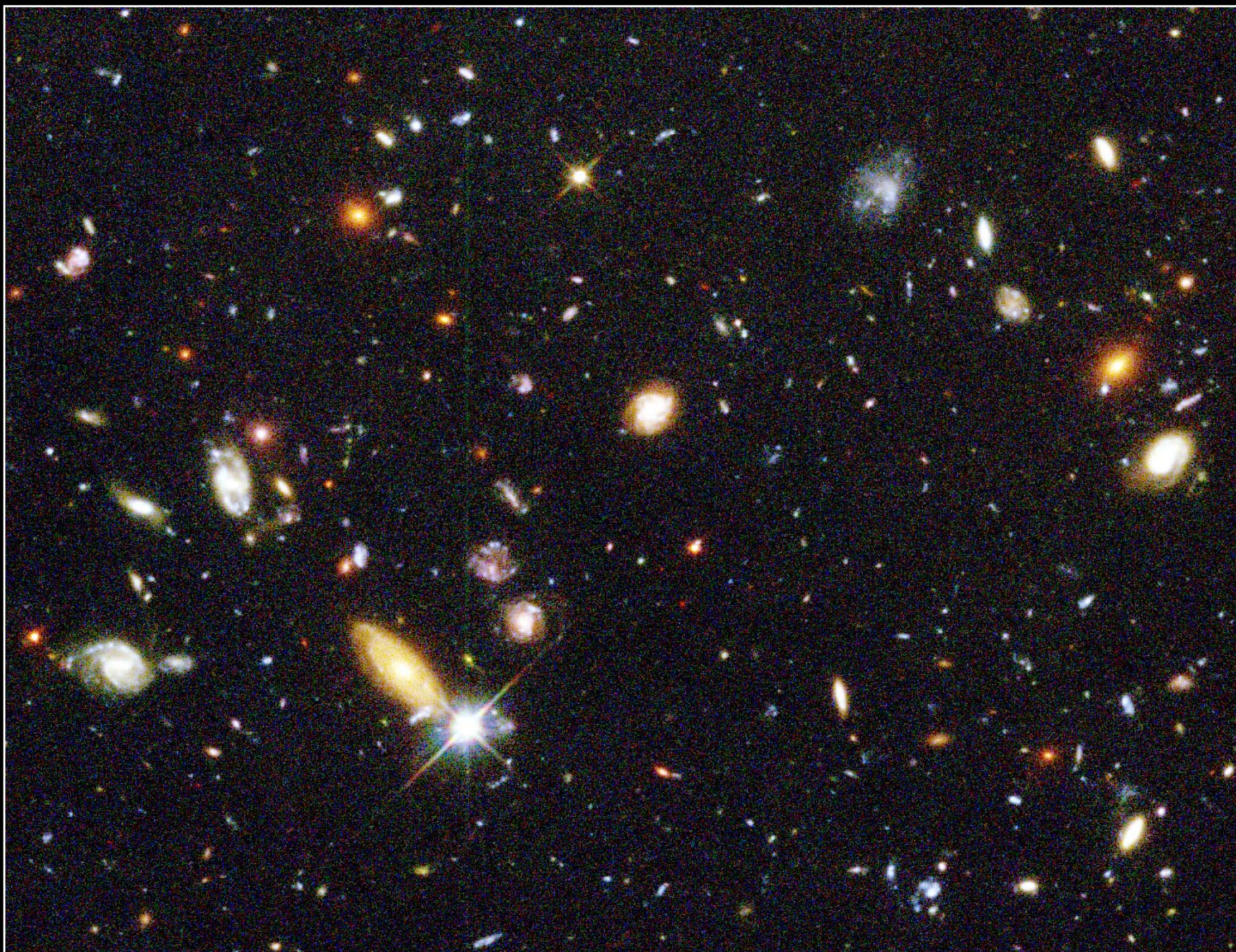
Sun

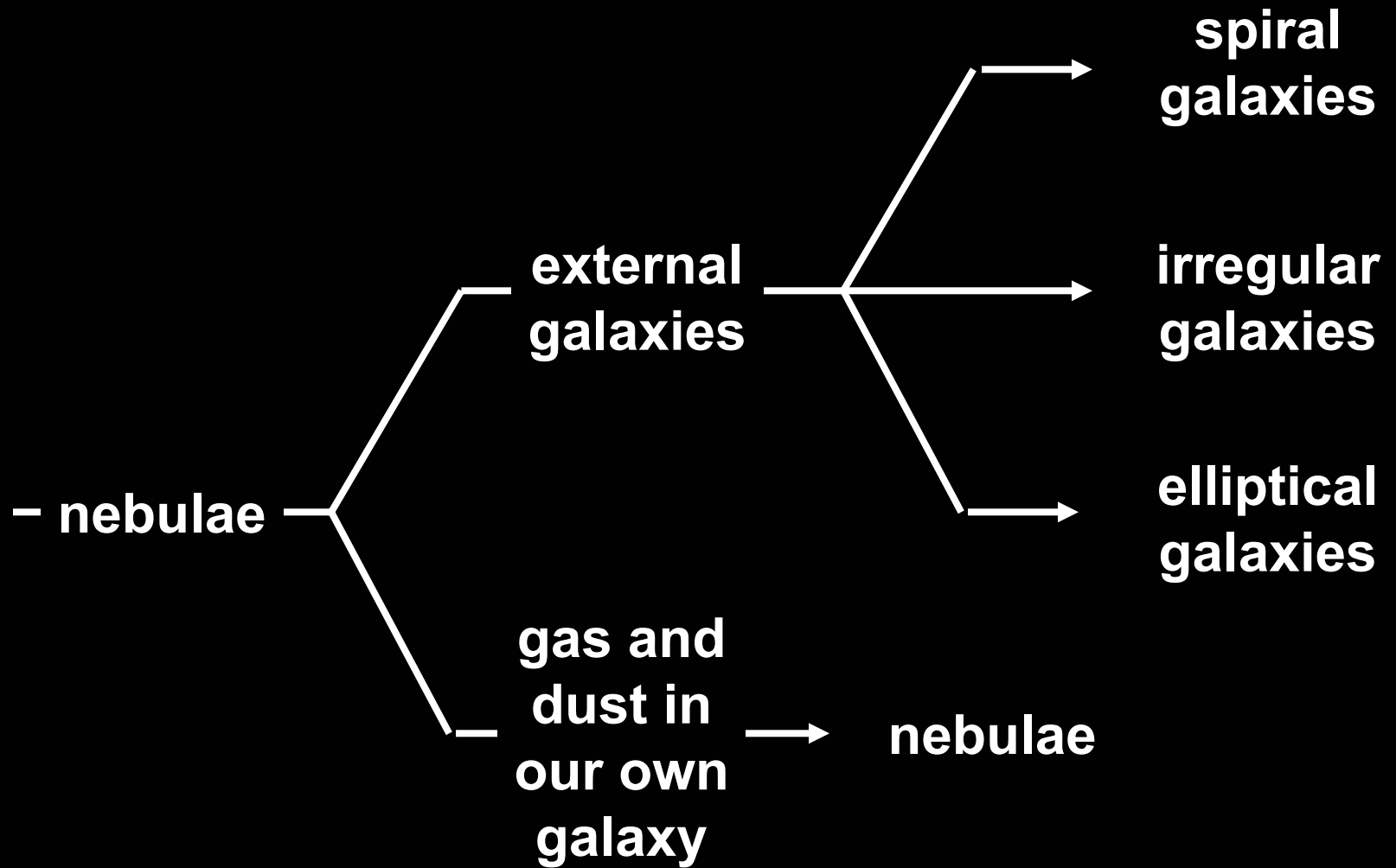
8.5 kpc

Clouds in the Sky

(A Mess of Messier Objects)







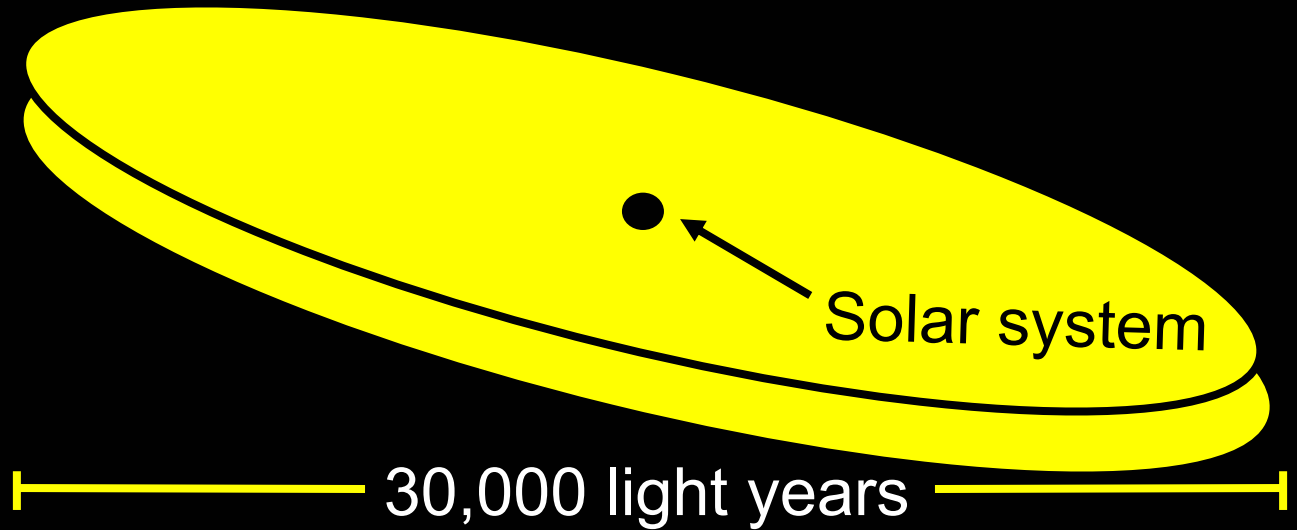
A view of the universe, circa 1903 A.D.

Kapteyn Universe

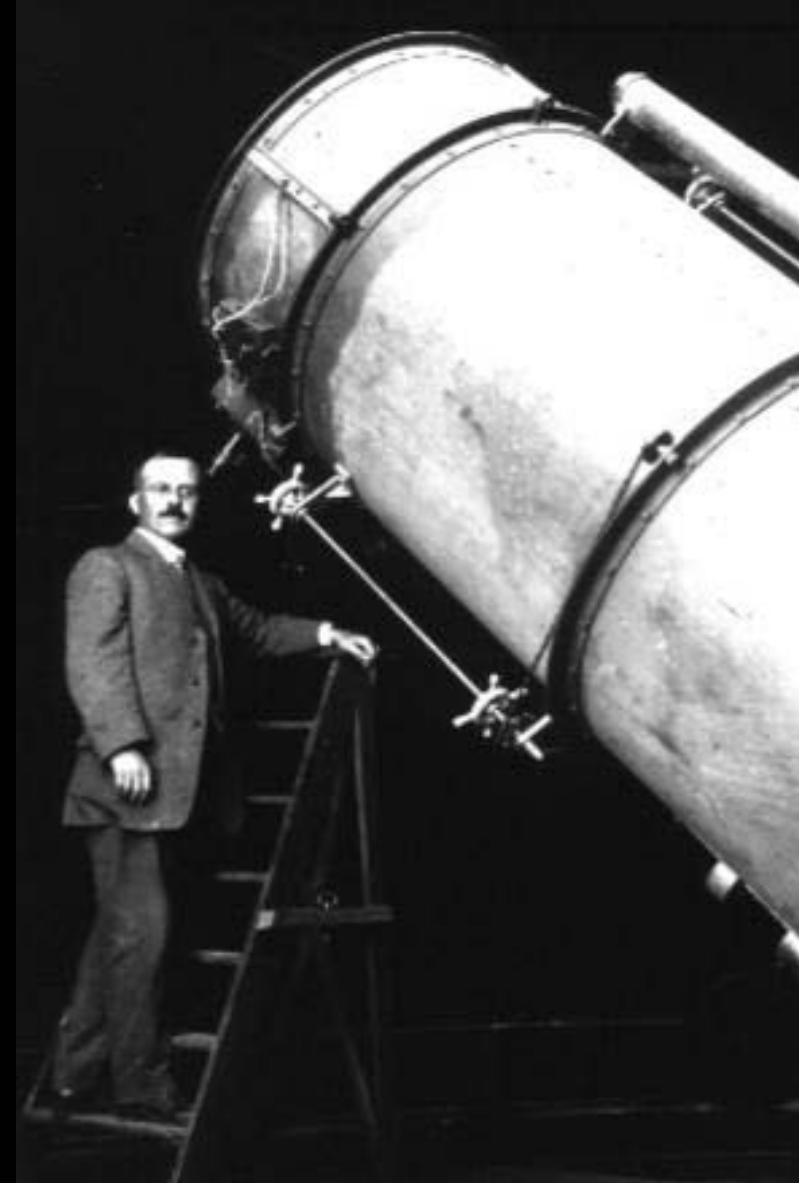
1) **Composition:** Starz' in the 'hood

2) **Arrangement:**

6,500
light years



3) **Origin:** ?



Heber Curtis
1872 - 1942



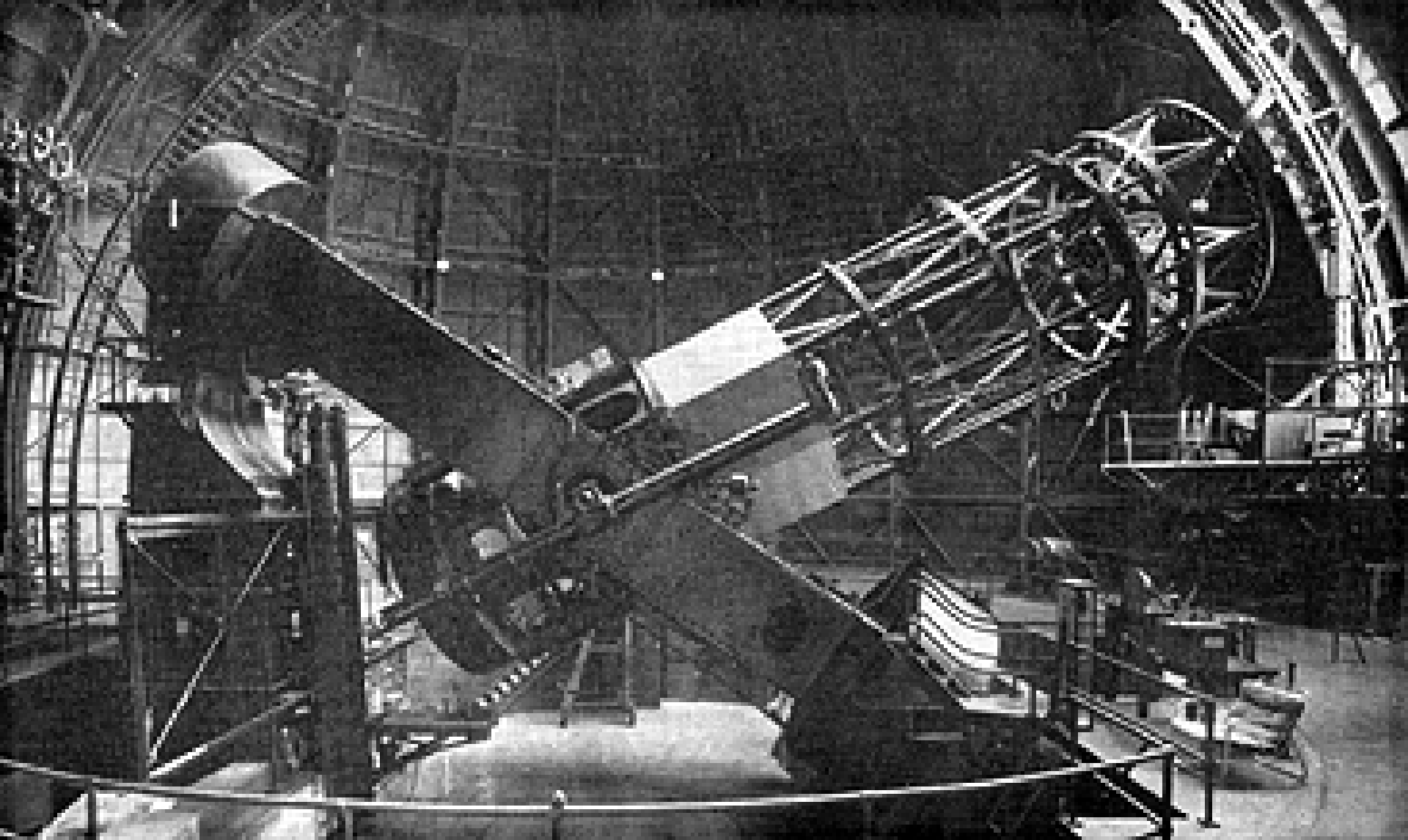
Harlow Shapley
1885 - 1972



Edwin Hubble
1884 - 1953



University of Chicago 1909 National Champions



100-inch Hooker Telescope on Mt. Wilson



Hubble's Hooker Chair



Einstein at Yerkes, May 6, 1921







ANDROMEDA
GALAXY

~~N~~
YAR!

6-Oct
1923

N